### Color





Phillip Otto Runge (1777-1810)

### **Review: Radiometry**



### Review: Shape from shading



## Today: Color

- The nature of color
- Color processing in the human visual system
- Color spaces
- Adaptation and constancy
- White balance
- Uses of color in computer vision

# What is color?

- Color is a psychological property of our visual experiences when we look at objects and lights, not a physical property of those objects or lights (S. Palmer, Vision Science: Photons to Phenomenology)
- Color is the result of interaction between physical light in the environment and our visual system



Wassily Kandinsky (1866-1944), Murnau Street with Women, 1908

## Electromagnetic spectrum



Why do we see light at these wavelengths? Because that's where the sun radiates electromagnetic energy

### **The Physics of Light**

Any source of light can be completely described physically by its spectrum: the amount of energy emitted (per time unit) at each wavelength 400 - 700 nm.

> Relative spectral power



### **The Physics of Light**

#### Some examples of the spectra of light sources



### **The Physics of Light**

#### Some examples of the reflectance spectra of surfaces











## Interaction of light and surfaces



- Observed color is the result of interaction of light source spectrum with surface reflectance
- Spectral radiometry
  - All definitions and units are now "per unit wavelength"
  - All terms are now "spectral"



# The Eye



#### The human eye is a camera!

- Iris colored annulus with radial muscles
- **Pupil** the hole (aperture) whose size is controlled by the iris
- Lens changes shape by using ciliary muscles (to focus on objects at different distances)
- What's the "film"?
  - photoreceptor cells (rods and cones) in the retina

### Density of rods and cones



#### Rods and cones are *non-uniformly* distributed on the retina

- Rods responsible for intensity, cones responsible for color
- **Fovea** Small region (1 or 2°) at the center of the visual field containing the highest density of cones (and no rods).
- Less visual acuity in the periphery—many rods wired to the same neuron

Slide by Steve Seitz

### Rod / Cone sensitivity



Why can't we read in the dark?

Slide by A. Efros

### **Physiology of Color Vision**

#### Three kinds of cones:



WAVELENGTH (nm.)

- Ratio of L to M to S cones: approx. 10:5:1
- Almost no S cones in the center of the fovea

© Stephen E. Palmer, 2002

# Color interpolation in human visual system

Brewster's colors: evidence of interpolation from spatially offset color samples

Scale relative to human photoreceptor size: each line covers about 7 photoreceptors



Source: F. Durand



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- A: We can't! Most of the information is lost.
  - As a result, two different spectra may appear indistinguishable
    - » such spectra are known as **metamers**

### Spectra of some real-world surfaces



### Spectra of some real-world surfaces



### Metamers



wavelength

## Standardizing color experience

- We would like to understand which spectra produce the same color sensation from people under similar viewing conditions
- Color matching experiments



Foundations of Vision, by Brian Wandell, Sinauer Assoc., 1995







Source: W. Freeman















Source: W. Freeman





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p3

**p**<sub>2</sub>

**p**<sub>1</sub>



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The primary color amounts needed for a match:







# Trichromacy

- Three numbers seem to be sufficient for encoding color
- In color matching experiments, most people can match any given light with three primaries
  - Exception: color blindness
- For the same light and same primaries, most people select the same weights
- Trichromatic color theory dates back to 18<sup>th</sup> century (Thomas Young)
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- If we scale the test light, then the matches get scaled by the same amount:
  - Suppose  $A = u_1 P_1 + u_2 P_2 + u_3 P_3$ . Then  $kA = (ku_1) P_1 + (ku_2) P_2 + (ku_3) P_3$ .

#### Linear color spaces

- Defined by a choice of three primaries
- The coordinates of a color are given by the weights of the primaries used to match it
- *Matching functions*: weights required to match single-wavelength light sources





mixing two lights produces colors that lie along a straight line along them in color space mixing three lights produces colors that lie within the triangle they define in color space

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- Pick a set of primaries,  $p_1(\lambda), p_2(\lambda), p_3(\lambda)$
- Measure the amount of each primary, c<sub>1</sub>(λ<sub>0</sub>), c<sub>2</sub>(λ<sub>0</sub>), c<sub>3</sub>(λ<sub>0</sub>) needed to match a monochromatic light, t(λ<sub>0</sub>) at each spectral wavelength λ<sub>0</sub>(pick some spectral step size). These are the color matching functions.

#### Using color matching functions to predict the matches for a new spectral signal

We know that a monochromatic light  $\lambda_i$ of wavelength will be matched by the amounts  $c_1(\lambda_i), c_2(\lambda_i), c_3(\lambda_i)$ of each primary.



And any spectral signal can be thought of as a linear combination of very many monochromatic lights, with the linear coefficient given by the spectral power at each wavelength.

$$\vec{t} = \begin{pmatrix} t(\lambda_1) \\ \vdots \\ t(\lambda_N) \end{pmatrix}$$



Source: W. Freeman

#### Using color matching functions to predict the primary match to a new spectral signal

Store the color matching functions in the rows of the matrix, C

	$(c_1(\lambda_1))$	•••	$c_1(\lambda_N)$
<i>C</i> =	$c_2(\lambda_1)$	• • •	$c_2(\lambda_N)$
	$(c_3(\lambda_1))$	•••	$c_3(\lambda_N)$



Let the new spectral signal be described by the vector t.

 $\vec{t} = \begin{pmatrix} t(\lambda_1) \\ \vdots \\ t(\lambda_1) \end{pmatrix}$  Then the amounts of each primary needed to match t are:  $\vec{e} = C\vec{t}$ 

The components  $e_1$ ,  $e_2$ ,  $e_3$  describe the color of t. If you have some other spectral signal, s, and s matches t perceptually, then e<sub>1</sub>, e<sub>2</sub>, e<sub>3</sub>, will also match s (by Grassman's Laws)

#### Linear color spaces: RGB

- Primaries are monochromatic lights (for monitors, they correspond to the three types of phosphors)
- Subtractive matching required for some wavelengths



#### Comparison of color matching functions with best 3x3 transformation of cone responses

4.20 COMPARISON OF CONE PHOTOCURRENT RESPONSES AND THE COLOR-MATCHING FUNCTIONS. The cone photocurrent spectral responsivities are within a linear transformation of the color-matching functions, after a correction has been made for the optics and inert pigments in the eye. The smooth curves show the Stiles and Burch (1959) colormatching functions. The symbols show the matches predicted from the photocurrents of the three types of macaque cones. The predictions included a correction for absorption by the lens and other inert pigments in the eye. Source: Baylor, 1987.



Foundations of Vision, by Brian Wandell, Sinauer Assoc., 1995

#### Linear color spaces: CIE XYZ

- Established in 1931 by the <u>International</u> <u>Commission on Illumination</u>
- Primaries are imaginary, but matching functions are everywhere positive
- 2D visualization: draw (*x*, *y*), where
  *x* = *X*/(*X*+*Y*+*Z*), *y* = *Y*/(*X*+*Y*+*Z*)



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- Next generation: CIE L\*a\*b\* (Koenderink: "an awful mix of magical numbers and arbitrary functions that somehow 'fit' the eye measure")

## Nonlinear color spaces: HSV



- Perceptually meaningful dimensions: Hue, Saturation, Value (Intensity)
- RGB cube on its vertex

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- High-level effects
  - Color naming



White in light and in shadow

J. S. Sargent, The Daughters of Edward D. Boit, 1882

Slide by F. Durand



http://web.mit.edu/persci/people/adelson/checkershadow\_illusion.html



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- Possible explanations
  - Simultaneous contrast
  - Reflectance edges vs. illumination edges

http://web.mit.edu/persci/people/adelson/checkershadow\_illusion.html

#### Simultaneous contrast/Mach bands



Source: D. Forsyth

# Chromatic adaptation

- The visual system changes its sensitivity depending on the luminances prevailing in the visual field
  - The exact mechanism is poorly understood
- Adapting to different brightness levels
  - Changing the size of the iris opening (i.e., the aperture) changes the amount of light that can enter the eye
  - Think of walking into a building from full sunshine
- Adapting to different color temperature
  - The receptive cells on the retina change their sensitivity
  - For example: if there is an increased amount of red light, the cells receptive to red decrease their sensitivity until the scene looks white again
  - We actually adapt better in brighter scenes: This is why candlelit scenes still look yellow

#### http://www.schorsch.com/kbase/glossary/adaptation.html

#### Chromatic adaptation



#### Name that color

Green Red Blue **Yellow** Green Red Orange **Purple Brown Yellow Black** 

#### Useful reference

#### Stephen E. Palmer, Vision Science: Photons to Phenomenology, MIT Press, 1999



- When looking at a picture on screen or print, we adapt to the illuminant of the room, not to that of the scene in the picture
- When the white balance is not correct, the picture will have an unnatural color "cast"



correct white balance



http://www.cambridgeincolour.com/tutorials/white-balance.htm

- Film cameras:
  - Different types of film or different filters for different illumination conditions
- Digital cameras:
  - Automatic white balance
  - White balance settings corresponding to several common illuminants
  - Custom white balance using a reference object



# White balance can be tricky...

 When there are several types of illuminants in the scene, different reference points will yield different results



Reference: moon



Reference: stone

http://www.cambridgeincolour.com/tutorials/white-balance.htm

- Von Kries adaptation
  - Multiply each channel by a gain factor
  - Note that the light source could have a more complex effect, corresponding to an arbitrary 3x3 matrix
- Best way: gray card
  - Take a picture of a neutral object (white or gray)
  - Deduce the weight of each channel
    - If the object is recoded as  $r_w$ ,  $g_w$ ,  $b_w$  use weights  $1/r_w$ ,  $1/g_w$ ,  $1/b_w$



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- Use image statistics, learning techniques

# White balance by recognition



Key idea: For each of the semantic classes present in the image, compute the illuminant that transforms the pixels assigned to that class so that the average color of that class matches the average color of the same class in a database of "typical" images

J. Van de Weijer, C. Schmid and J. Verbeek, <u>Using High-Level Visual</u> <u>Information for Color Constancy</u>, ICCV 2007.

#### Color histograms for indexing and retrieval







#### Swain and Ballard, Color Indexing, IJCV 1991.

#### Skin detection



M. Jones and J. Rehg, <u>Statistical Color Models with</u> <u>Application to Skin Detection</u>, IJCV 2002.

#### Image segmentation and retrieval



C. Carson, S. Belongie, H. Greenspan, and Ji. Malik, Blobworld: Image segmentation using Expectation-Maximization and its application to image querying, ICVIS 1999.

#### Robot soccer



M. Sridharan and P. Stone, <u>Towards Eliminating Manual</u> <u>Color Calibration at RoboCup</u>. RoboCup-2005: Robot Soccer World Cup IX, Springer Verlag, 2006

Source: K. Grauman

### Building appearance models for tracking



D. Ramanan, D. Forsyth, and A. Zisserman. <u>Tracking People by Learning their</u> <u>Appearance</u>. PAMI 2007.

#### Judging visual realism



J.-F. Lalonde and A. Efros. <u>Using Color Compatibility</u> for Assessing Image Realism. ICCV 2007.

### Next time: Linear filtering and edge detection



